## EXPONENTS AND SQuare Roots

## Bases, Exponents \& Powers

In math, we have a short method of writing an expression when the same factor is repeated.

Instead of writing $3 \times 3 \times 3 \times 3=3^{4}$

BASES, EXPONENTS \& POWERS

When we have $3^{4}$

3 is the base
4 is the exponent
and
$3^{4}$ is the power

## Bases, Exponents \& Powers

Special names are given to exponents when they are either two or three:
$7^{2}$ can be read as seven squared
$5^{3}$ can be read as five cubed

## BaSES, Exponents and Powers

| Exponential Form | Word Form | Factored Form | Standard Form <br> (Answer) |
| :--- | :--- | :--- | :--- |
| $7^{3}$ | seven cubed | $7 \times 7 \times 7$ | 343 |
| $4^{2}$ | four squared | $4 \times 4$ | 14 |
| $2^{5}$ | two to the fifth power | $2 \times 2 \times 2 \times 2 \times 2$ | 32 |
| $6^{0}$ | six to the zero power | 1 | 1 |

## Square Roots

The idea of a square root comes from a 2D representation of
a square


How do we find the area of a square? Side x side

## Square Roots

Example: Find the Area

Area $=$ length $x$ width
Area $=5 \mathrm{~cm} \times 5 \mathrm{~cm}$
Area $=5^{2}$

$5 \times 5=25$

$$
5^{2}=25
$$

$$
\text { Area }=25 \mathrm{~cm}^{2}
$$

## Square Roots

$$
\text { Area }=a \times a
$$

Area $=a^{2}$


## Square Roots

What if we were working backwards? Example:

$5 \times 5=25$ $5^{2}=25$

We know that each side is 5 .
This leads to the idea of the square root.
What is a square root? The square root of a number is a value when multiplied by itself, gives the number.

## Square Roots

Example:
$4 \times 4=16$, so the square root of 16 is 4.
We use this symbol:
$\sqrt{ } 16=4$

## CLasswork

## Evaluate:

$\begin{array}{ll}\text { 1. } & 2^{7} \\ \text { 2. } & 3^{4} \\ \text { 3. } & 4^{5} \\ \text { 4. } & 2^{4}\end{array}$
5. $\sqrt{ } 25$
6. $\sqrt{ } 36$
7. $\sqrt{ } 49$
8. $\sqrt{ } 81$

