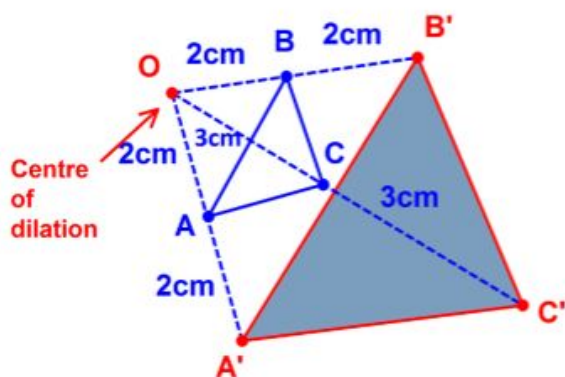


Dilation.

- _____ is a _____ transformation that proportionally _____ or _____ a figure. c



-A'B'C' is an _____ or ABC

-Dilation is defined by the **center of dilation (point O)**, and the **scale factor k**.

-We can calculate the scale factor:

$$\overline{OA} = 2cm$$

$$\overline{OB} = 2cm$$

$$\overline{OC} = 3cm$$

$$\overline{OA'} = 4cm$$

$$\overline{OB'} = 4cm$$

$$\overline{OC'} = 6cm$$

K=

K=

K=

K=

K=

K=

K=

K=

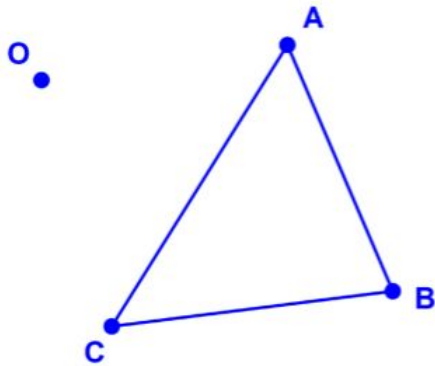
K=

→ A _____ of 2, means that sides of triangle A'B'C' is _____ as long as the sides to triangle ABC.

→ The expression we use to denote dilation is $h(O,K)$

-For dilations with a _____ scale factor, the image will always be on the _____ side of the centre of dilation as the original figure.

HOW TO CONSTRUCT THE IMAGE OF A DILATION



$$\overline{mOA} = 4cm$$

$$\overline{mOB} = 6.8cm$$

$$\overline{mOC} = 4.4cm$$

Draw the image of the triangle shown here by the dilation $h(O, \frac{1}{2})$

-Step 1: READ THE INSTRUCTIONS:

-Step 2: extend dotted lines starting from **point O** and passing through **point A**.

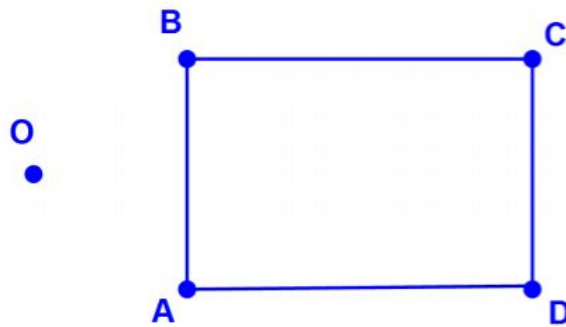
-Step 3: Locate the vertices of the image:

-Step 4: Locate A', B', and C' from **point O** and construct the image A'B'C'.

-Step 5: List all measure and confirm that they are $\frac{1}{2}$ of the original distances.

Example 1:

Draw the image of the polygon below
by the dilation $h(O, \frac{1}{2})$.



Example 2:

Given the dilation below, determine the
position of the centre of dilation.

